

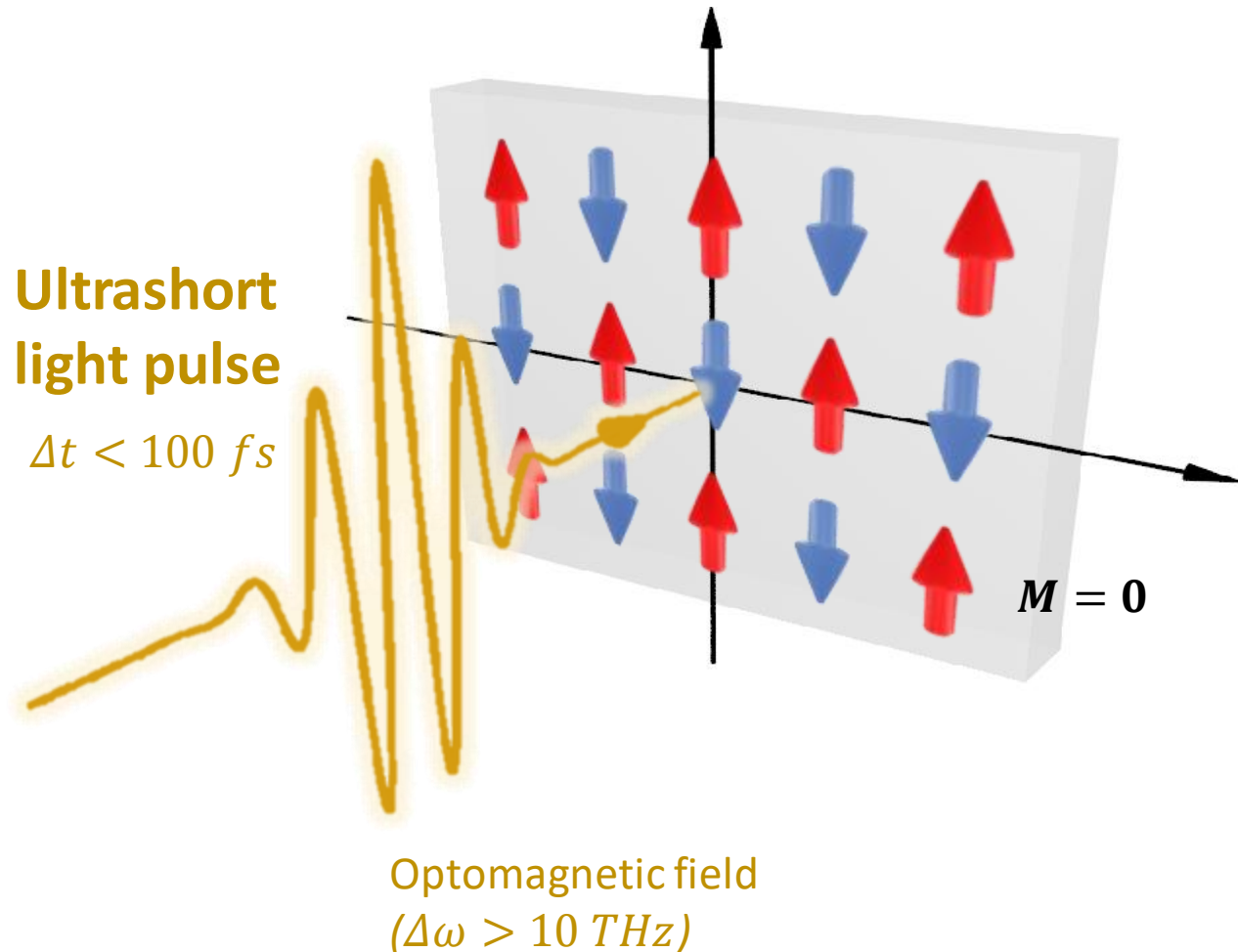
# Light-Driven Control of Spin-Wave Damping in an Antiferromagnet



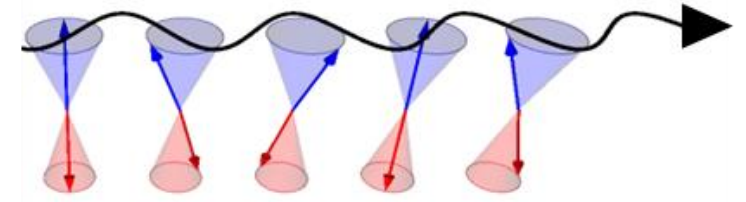
Viktoriia Radovskaia

Radboud University, Nijmegen

# Light-driven spin precessions in Antiferromagnets



## Antiferromagnetic magnonics



- High frequencies ( $> 1 \text{ THz}$ )
- High group velocities ( $> 10 \text{ km/s}$ )
- Non-dispersive propagation

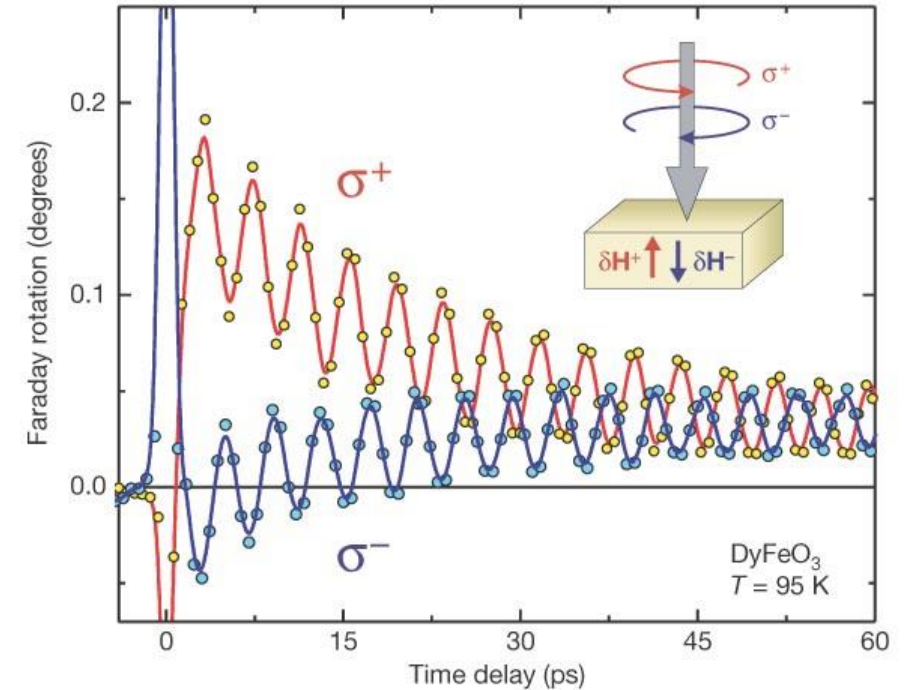
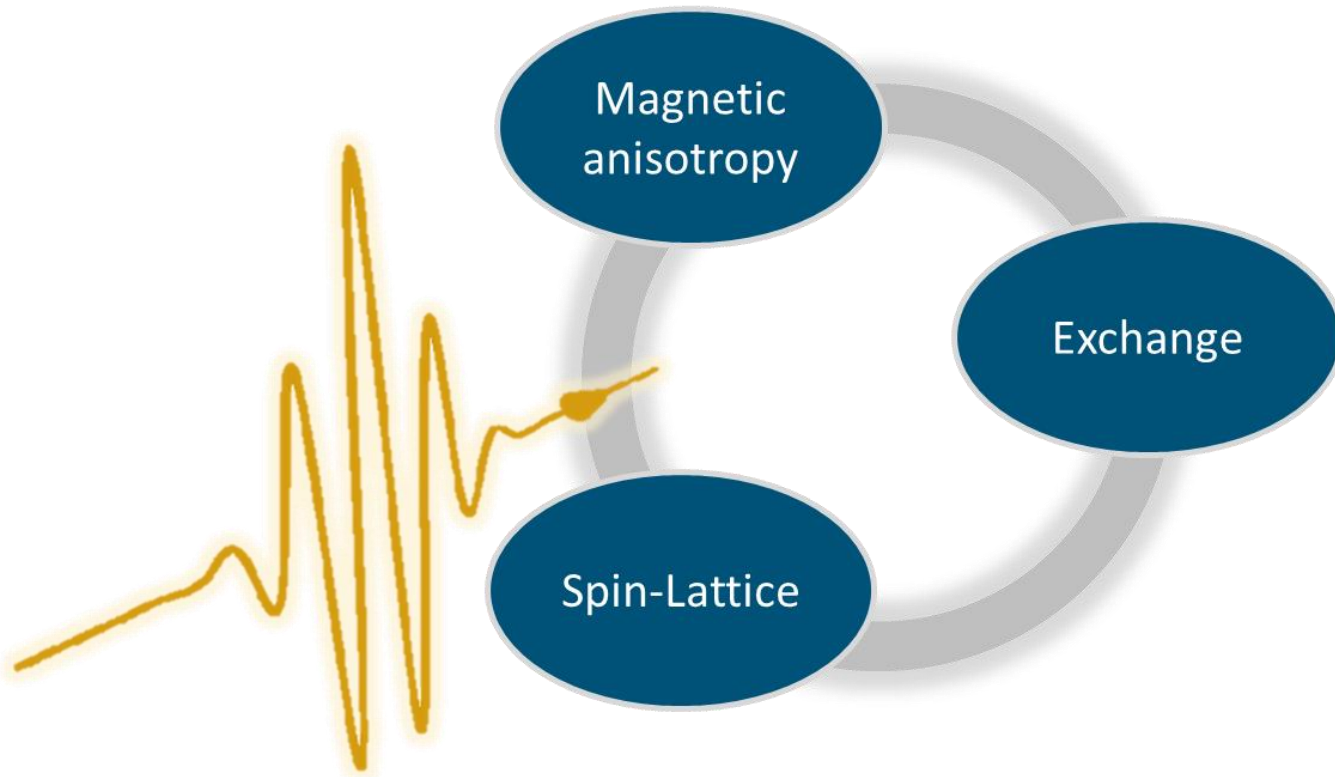
*Hortensius, J.R., et al. Nat. Phys. 17, 1001–1006 (2021)*

*Madami, M. et al. Nature Nanotech 6, 635–638 (2011)*

*Afanasiev, D. et al. Nat. Mater. 20, 607–611 (2021)*

*Němec, P. et al. Nature Phys 14, 229–241 (2018)*

# Dynamic control of spin-wave properties



It's possible to control:

- Phase
- Amplitude
- Frequency
- Lifetime (damping  $\alpha$ )

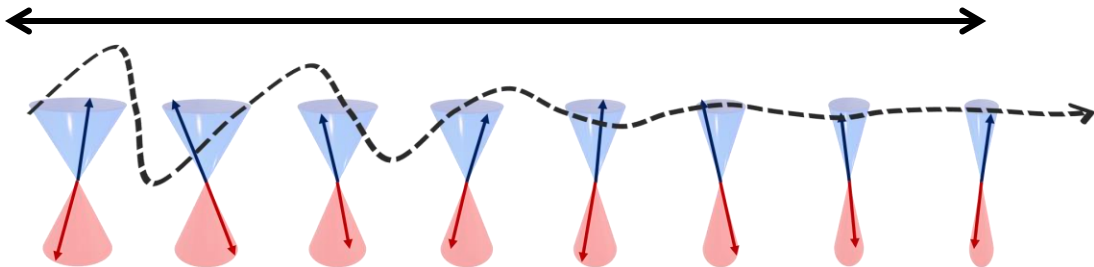
E. A. Mashkovich, et al. *Science* 374, 1608–1611 (2021)  
Mikhaylovskiy, R., et al. *Nat Commun* 6, 8190 (2015)  
Sebastian F. Maehrlein et al. *Sci. Adv.* 4, eaar5164 (2018)  
Kimel, A., et al. *Nature* 435, 655–657 (2005)  
Afanasyev D, et al. *Nat. Mater.* 20, 607–611 (2021)  
Qiu, JX., et al. *Nat. Mater.* 22, 583–590 (2023)  
D. Bossini, et al. *ACS Photonics* 2016 3 (8), 1385-1400

# Importance of the spin-wave damping: low and high

## Propagation:

- a lifetime:  $\tau_{coh}$
- a propagation length:  $l_{coh}$

$$l_{coh} = v\tau_{coh}$$



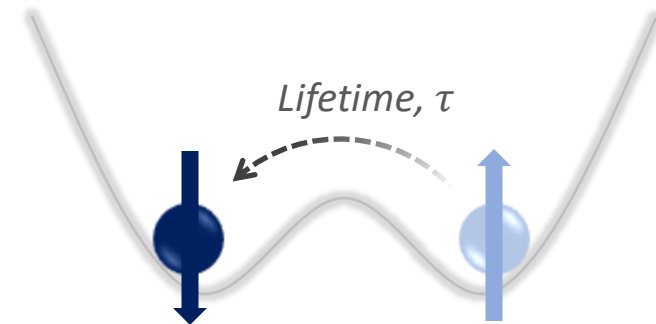
**Low damping:**

for long-living coherent precessions

## Switching:

- $\tau = (\Delta\omega)^{-1} \sim (\alpha/f_0)^{-1}$

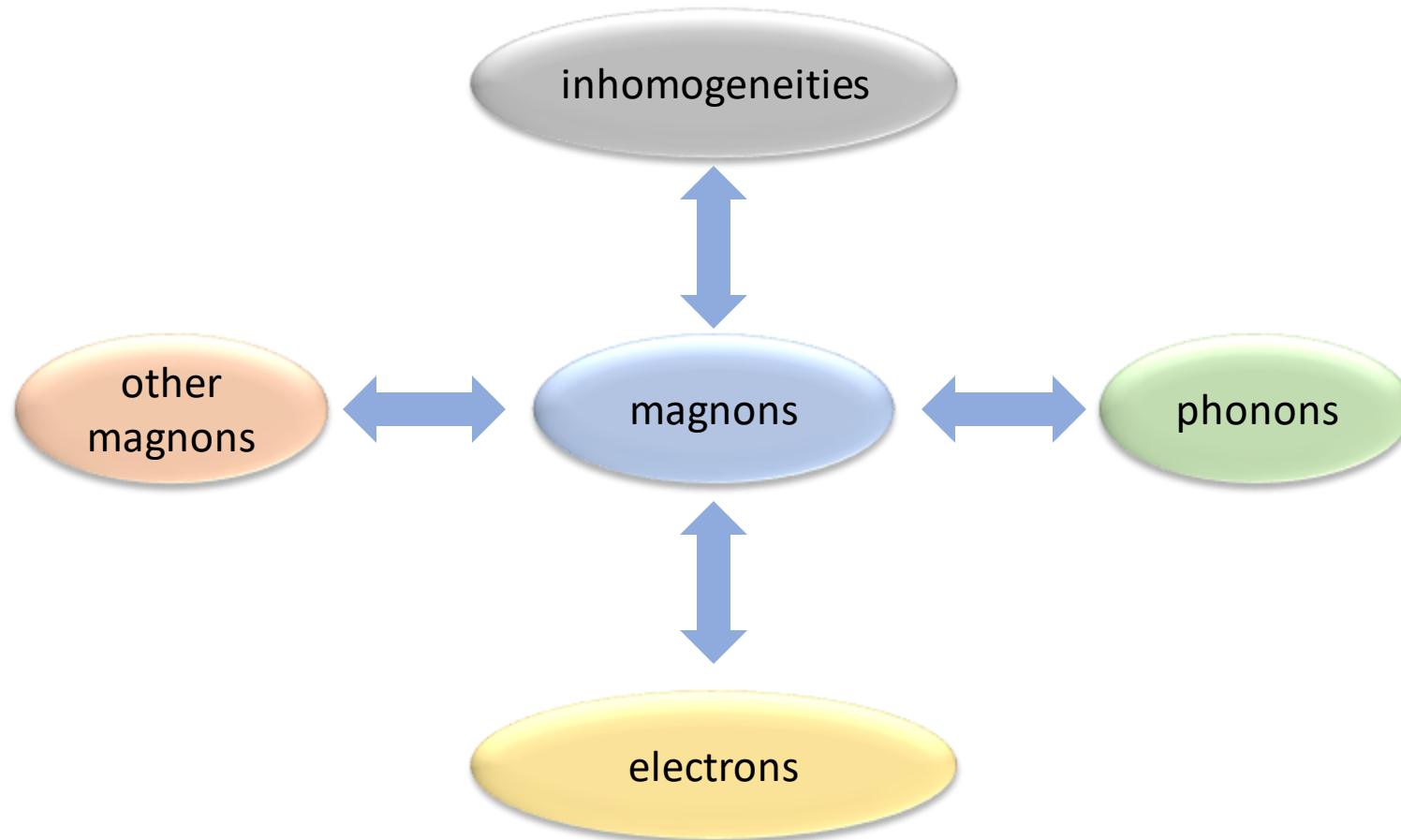
$\alpha$  – damping parameter  
 $f_0$  – frequency



**High damping:**

for reliable switching of the system

# Origin of the spin-wave damping



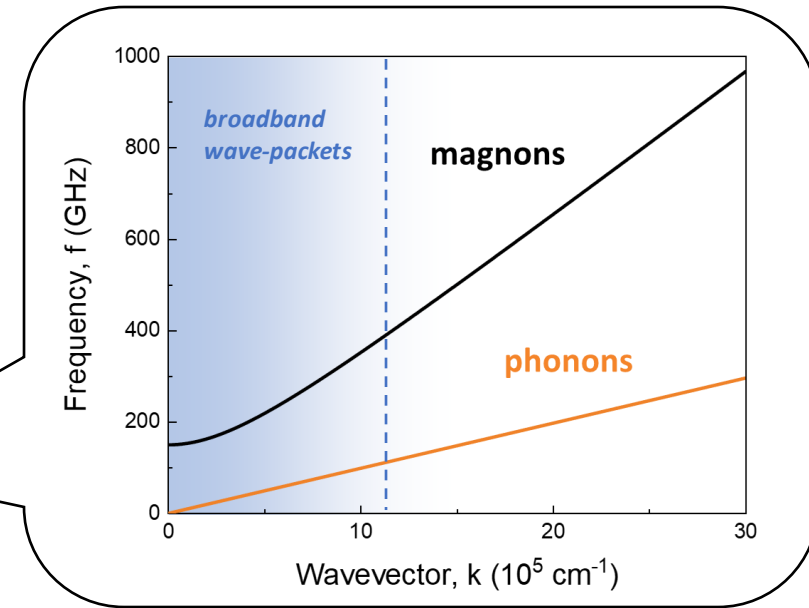
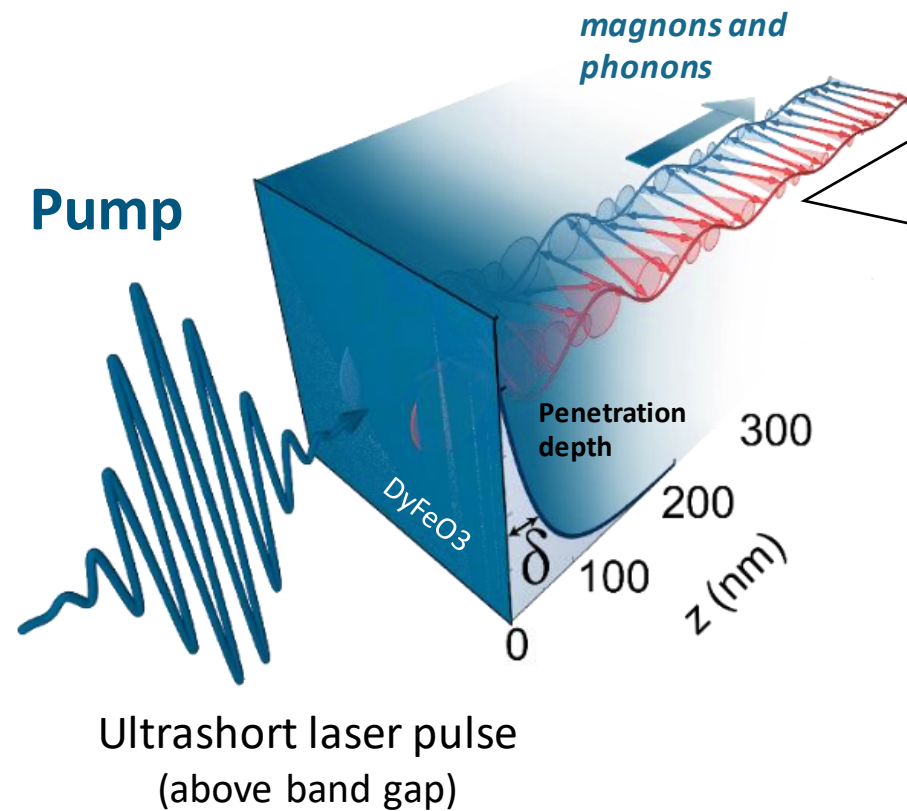
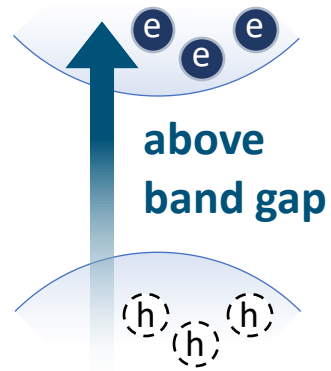
- two-magnon scattering
- three/four magnon interaction
- magnon-phonon scattering
- electron-magnon scattering

*P. Pirro et. al. Nat. Rev. Mater. 6, 1114–1135 (2021)*  
*M.M.H. Polash et.al. J. Mater. Chem. C, 2020,8, 4049-4057*

**Damping is a many-body interaction process!**



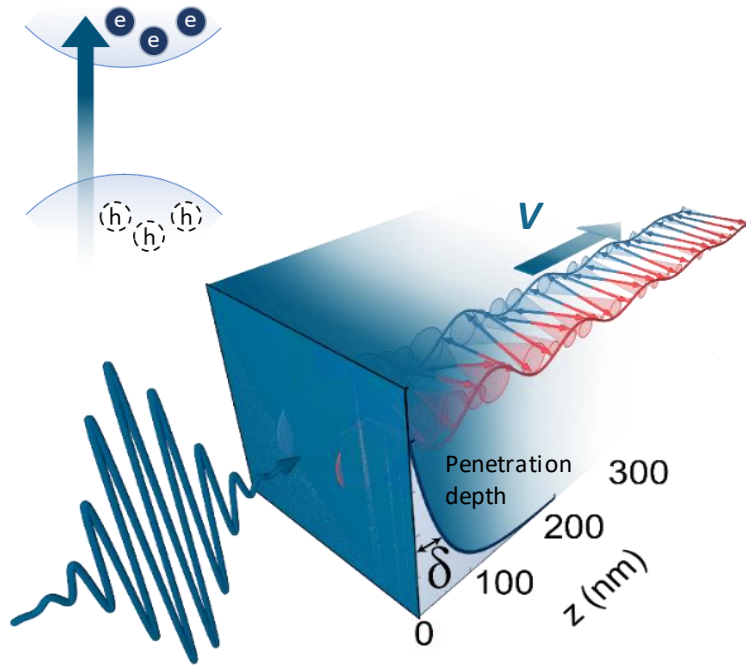
# Many body magnon scattering platform with ultrashort laser pulses



**One can excite:**

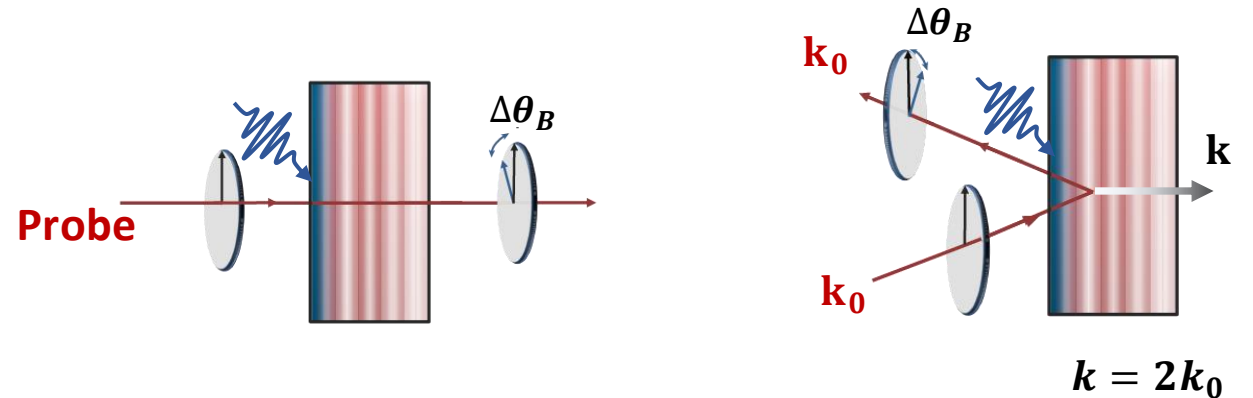
- electron-hole pairs
- magnons
- phonons

# Detection of uniform and propagating excitations



Ultrashort laser pulse  
(to create many-body  
excitation)

## Birefringence of light, $\Delta\theta_B$



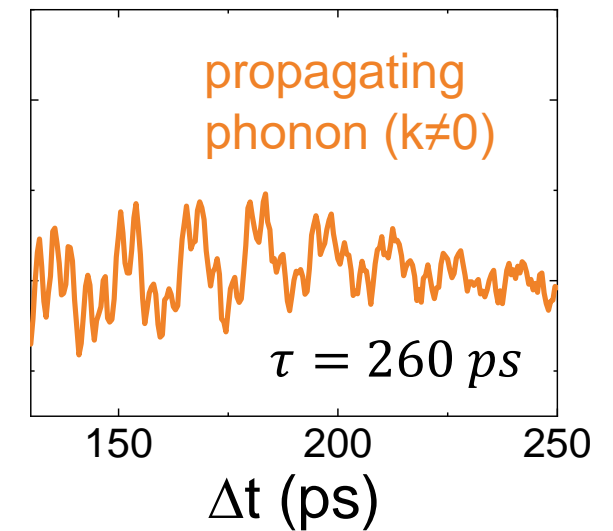
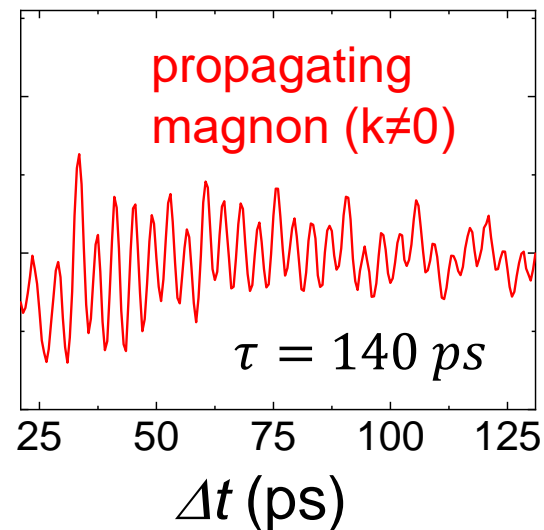
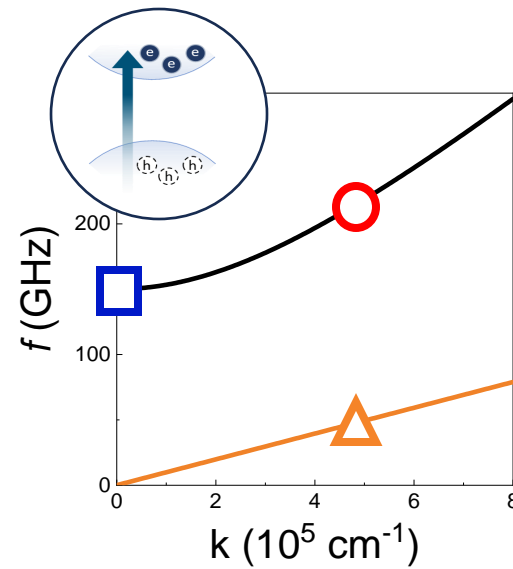
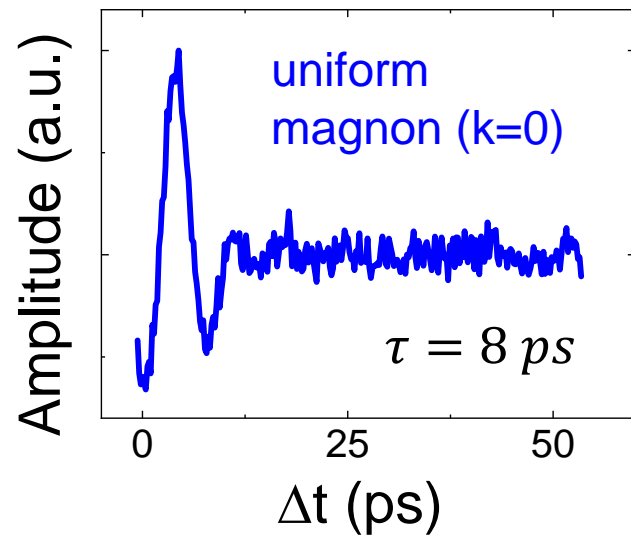
*Transmission:  $k = 0$*

- *uniform magnon*

*Reflection:  $k \neq 0$*

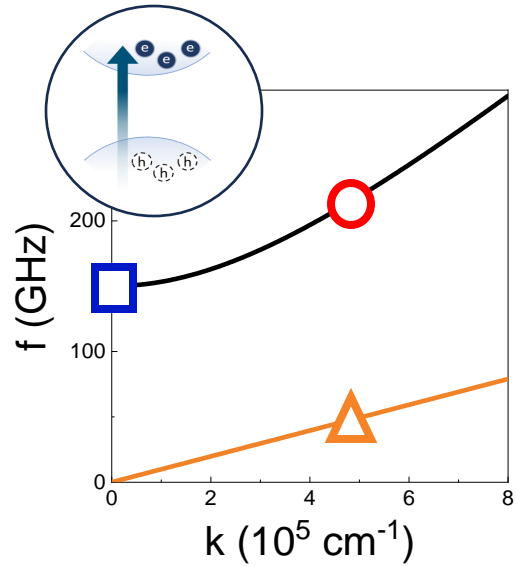
- *propagating magnons*
- *propagating phonons*

# Magnon & Phonon excitation in a time domain

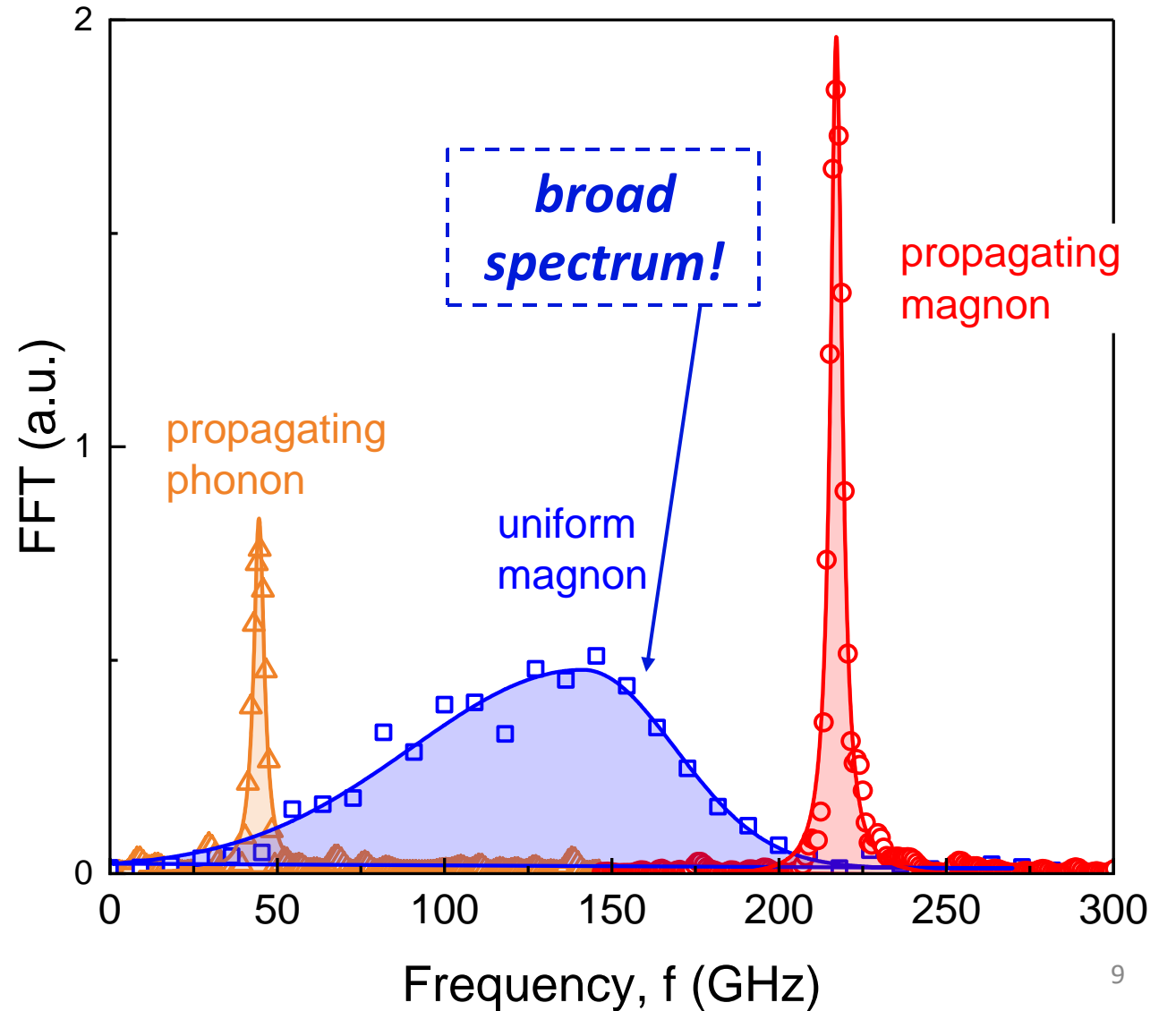




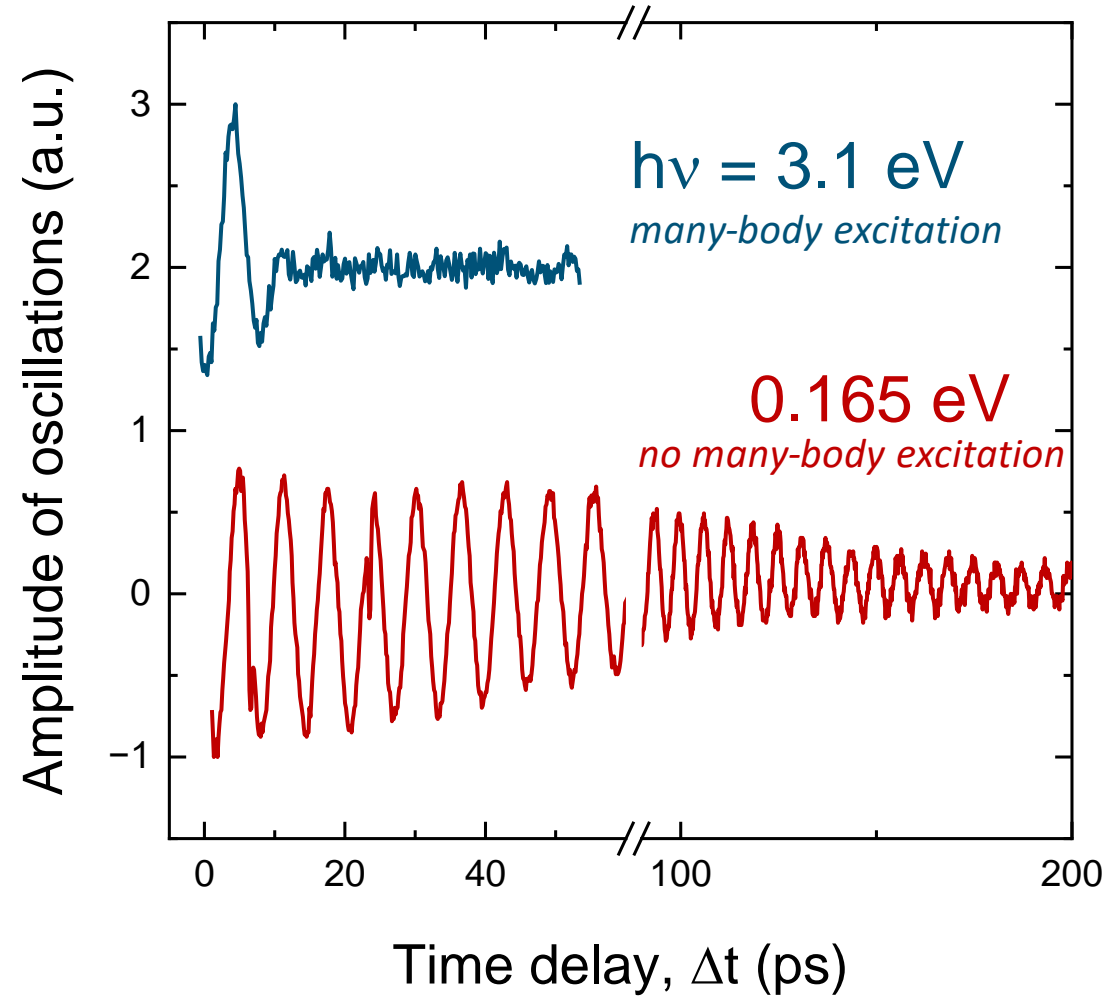
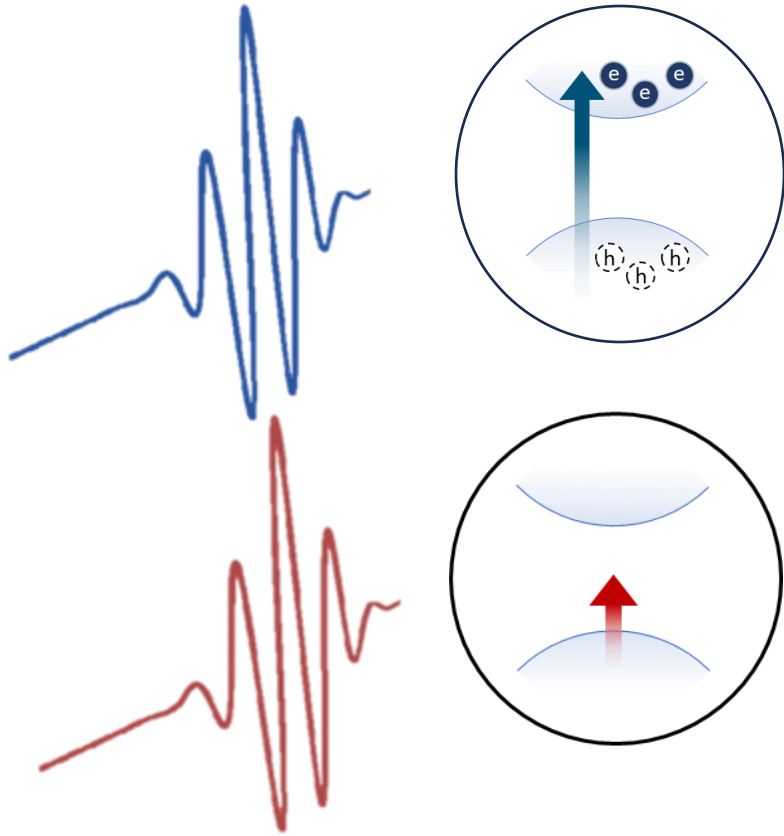
# Giant damping of $k=0$ magnon



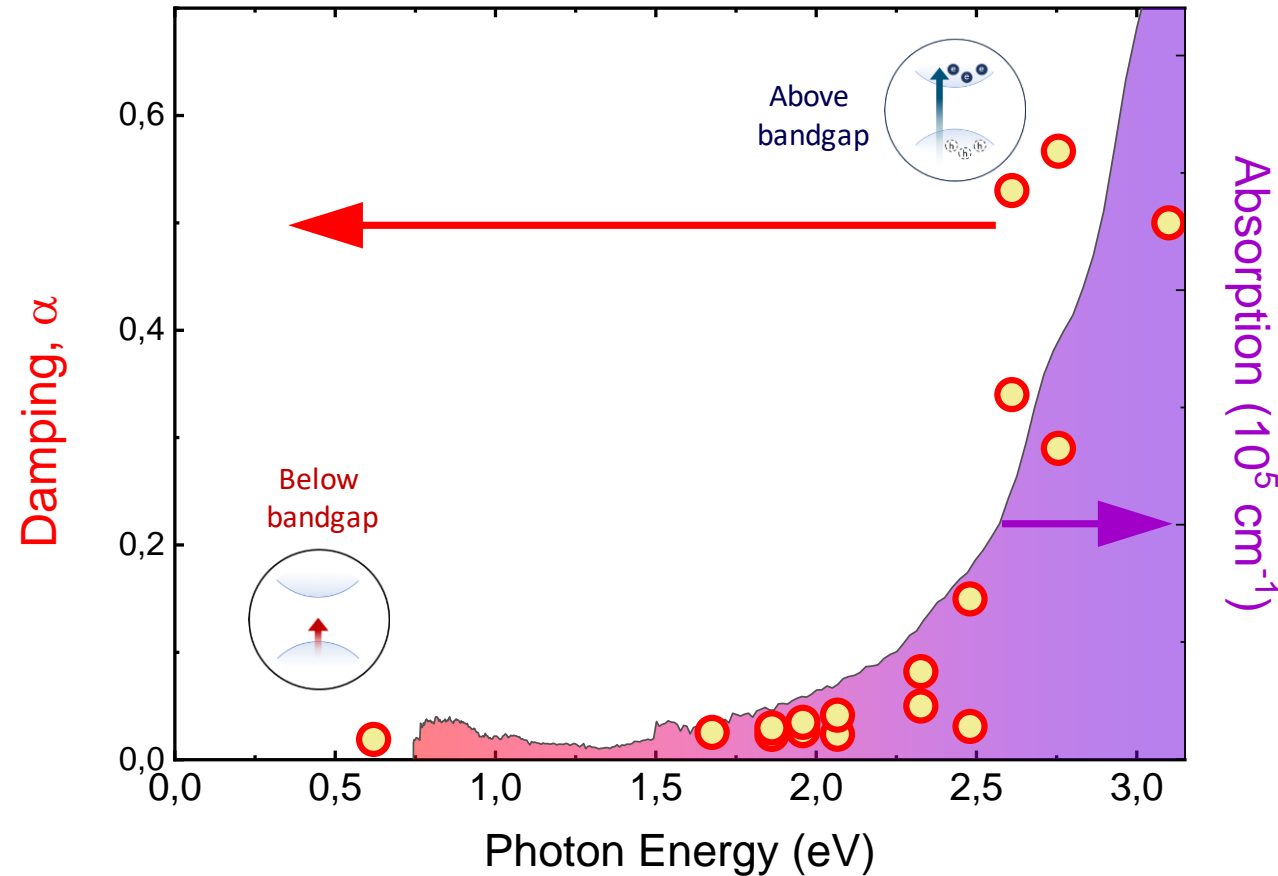
the uniform spin precession is significantly damped!



# Control of damping of uniform spin precession by the pump photon energy

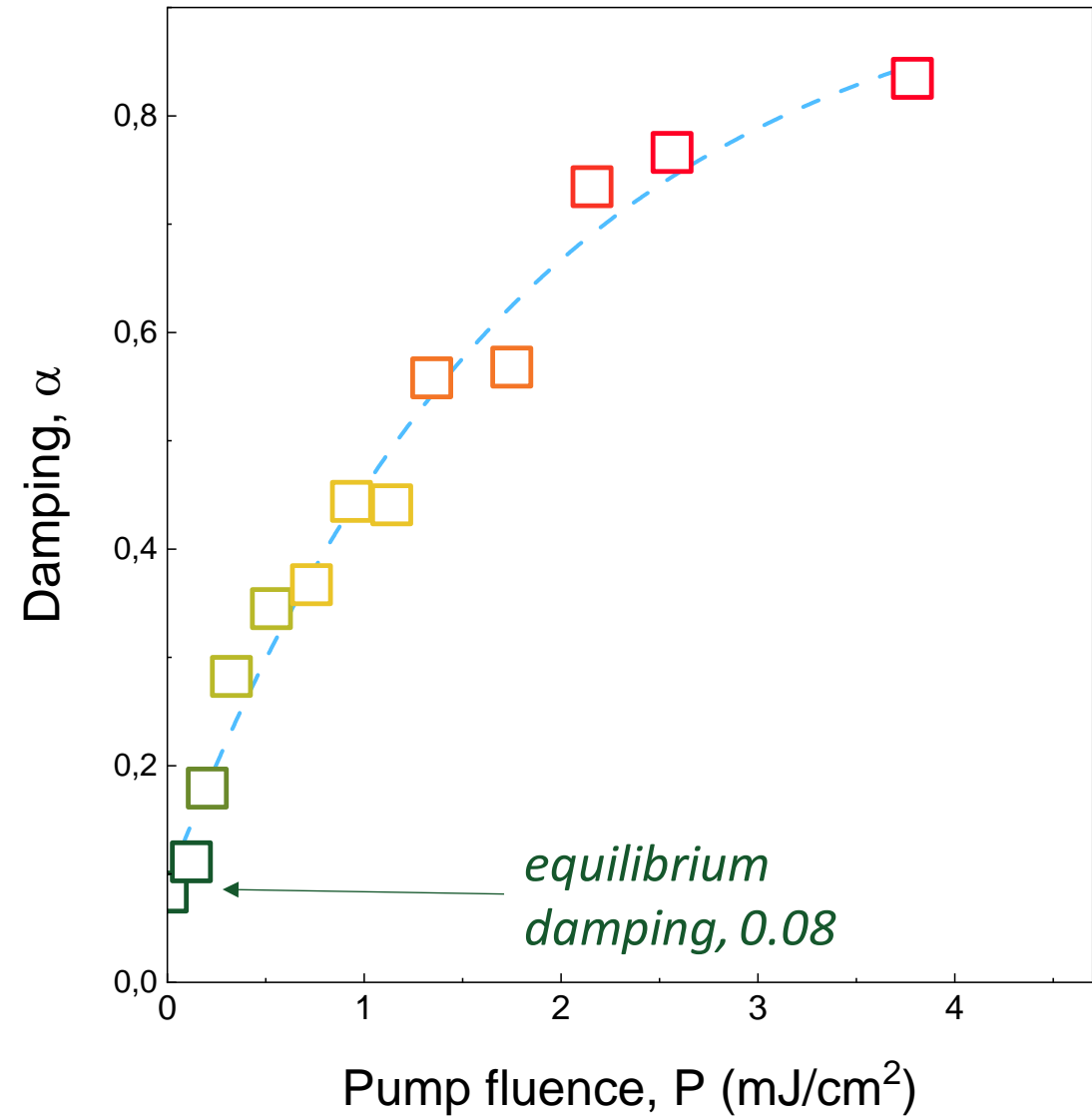
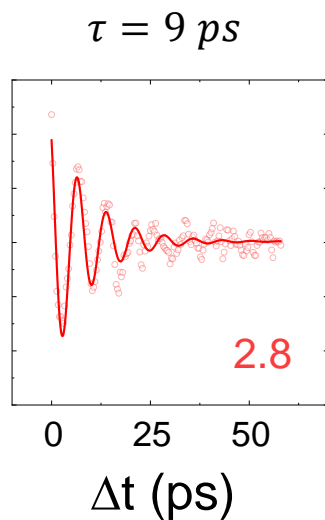
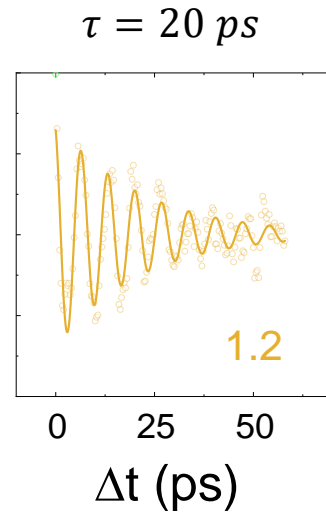
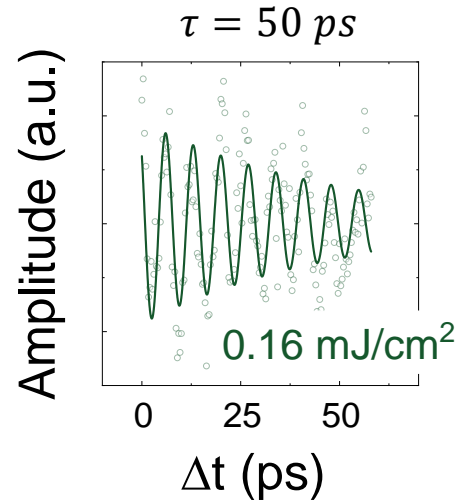


# Coherent spin-waves with on-demand damping

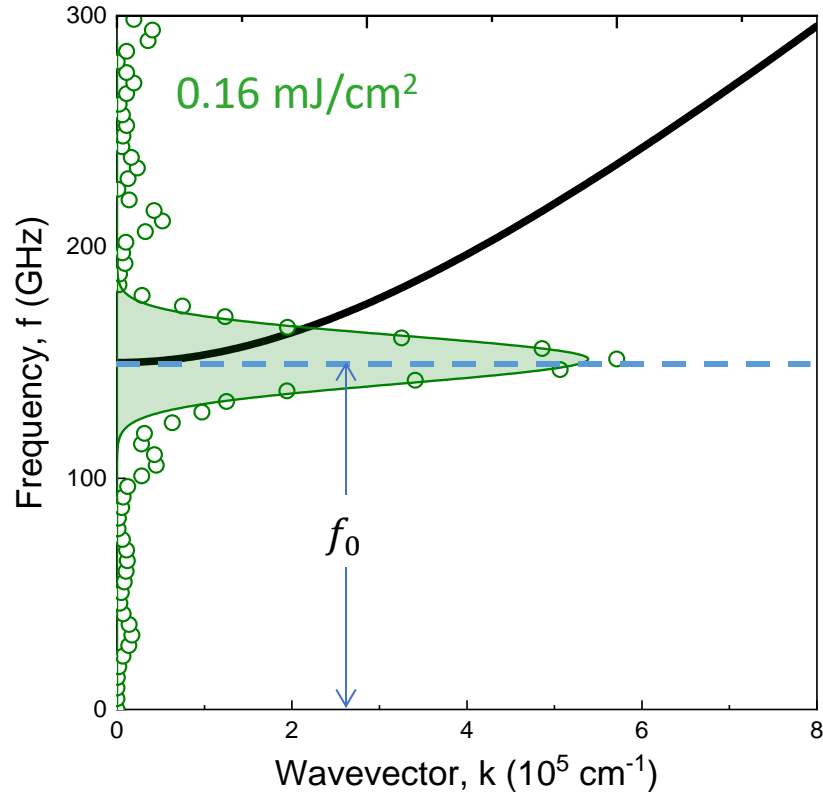


Stronger confinement  $\xrightarrow{\text{higher density}}$  More quasiparticles  $\xrightarrow{\text{more collisions}}$  Higher damping

# Coherent spin-waves with on-demand damping

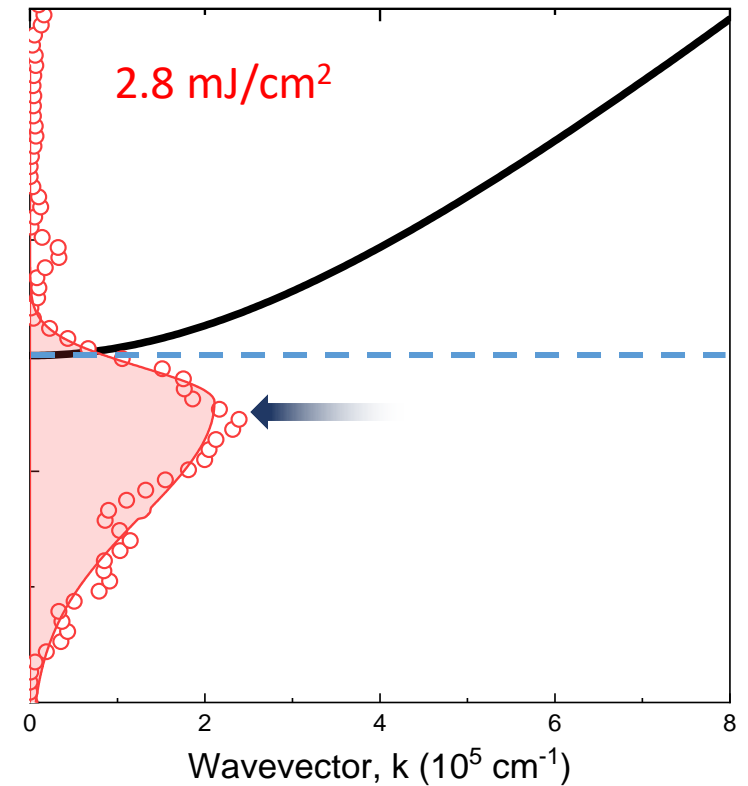
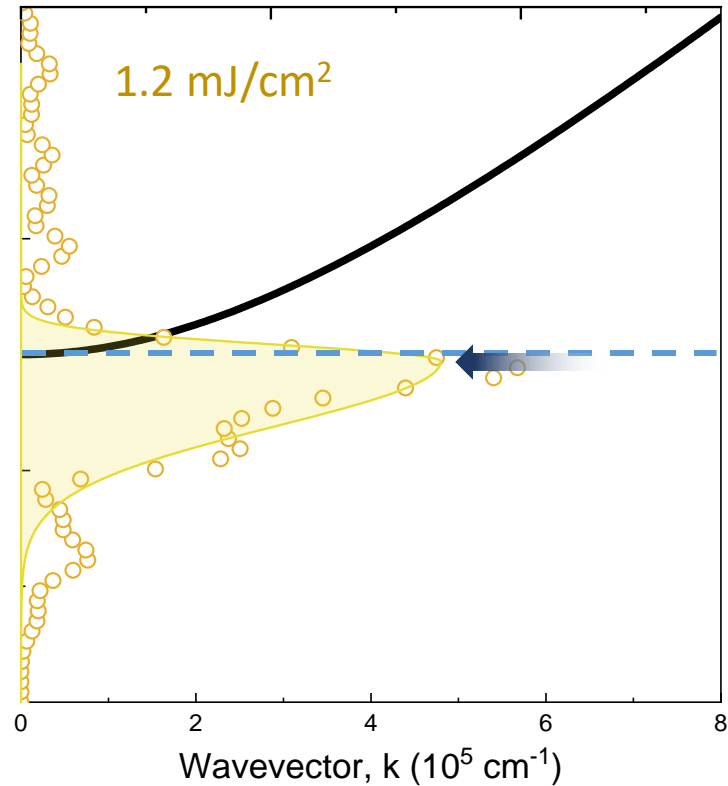
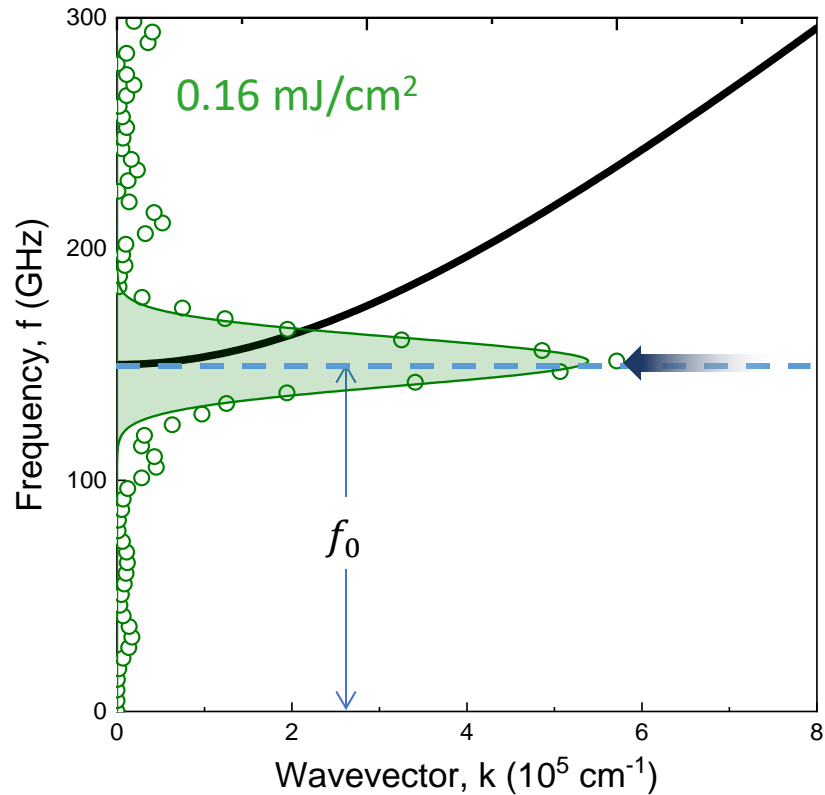


# Asymmetric spectral weight transfer



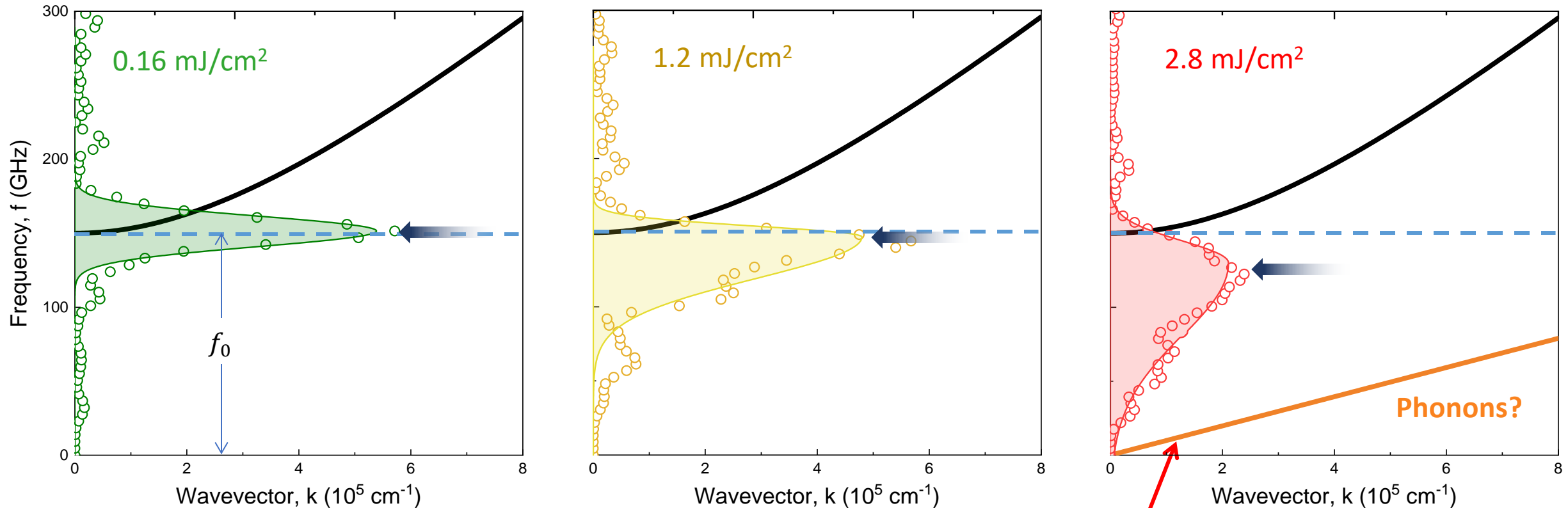
- $f_{magn} = \sqrt{f_0^2 + (vk)^2}$
- $f_0$  - spin-wave gap

# Asymmetric spectral weight transfer



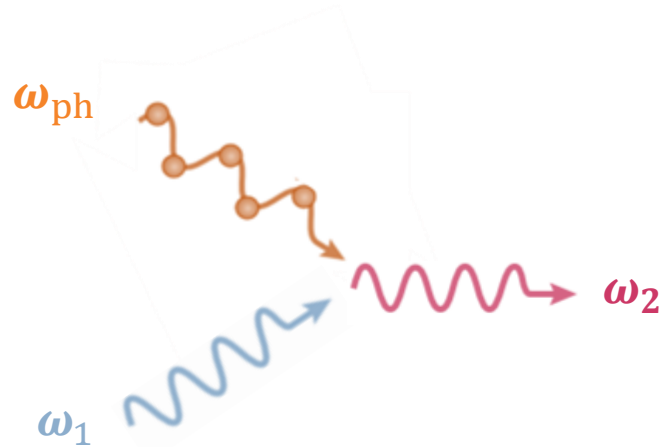


# Asymmetric spectral weight transfer



Towards low-energy excitations!

# Magnon-phonon scattering scenario

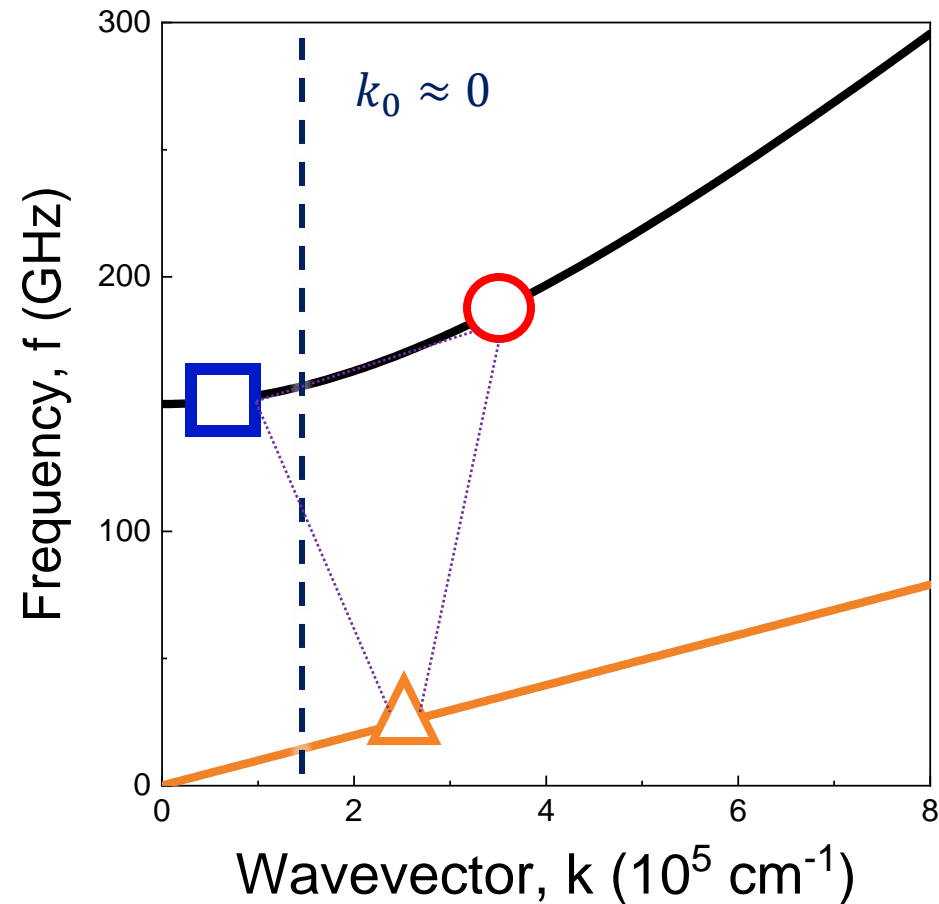


Conservation of momentum and energy:

$$k_1 + k_{ph} = k_2$$
$$\omega_1 + \omega_{ph} = \omega_2$$

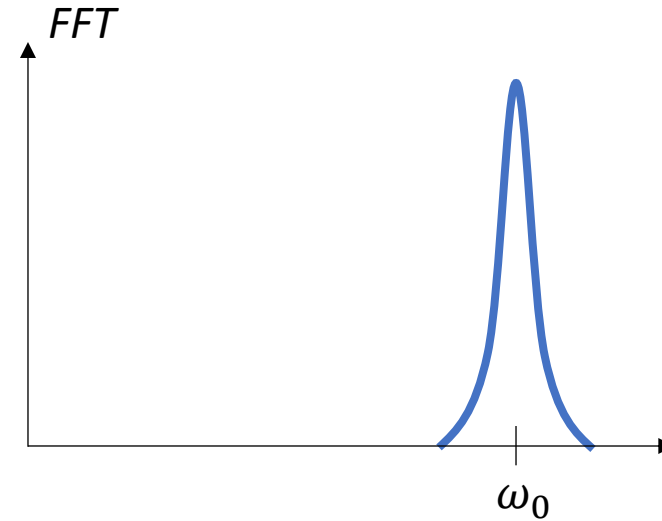
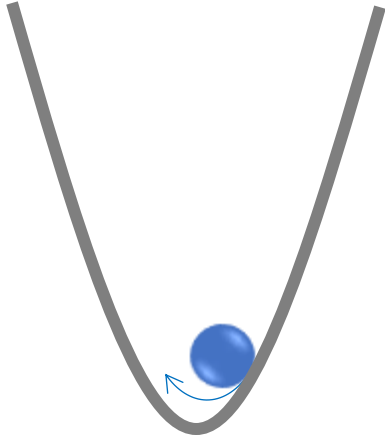
Fulfilled only if:

$$k_1 \leq k_0 = 1.54 * 10^5 \text{ cm}^{-1}$$



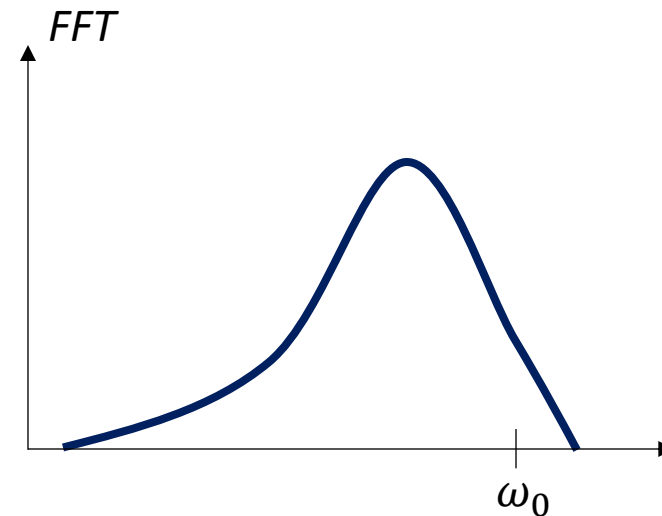
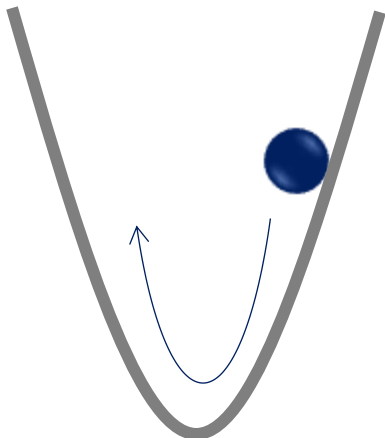
# High-amplitude induced nonlinearity

**a) Low amplitude**



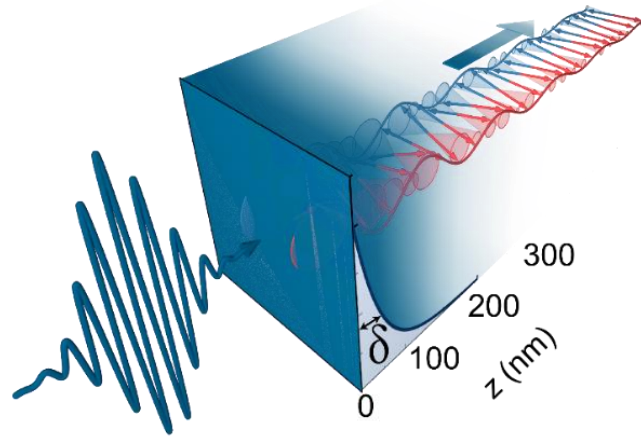
*narrow FFT peak  
at equilibrium  
frequency*

**b) High amplitude**

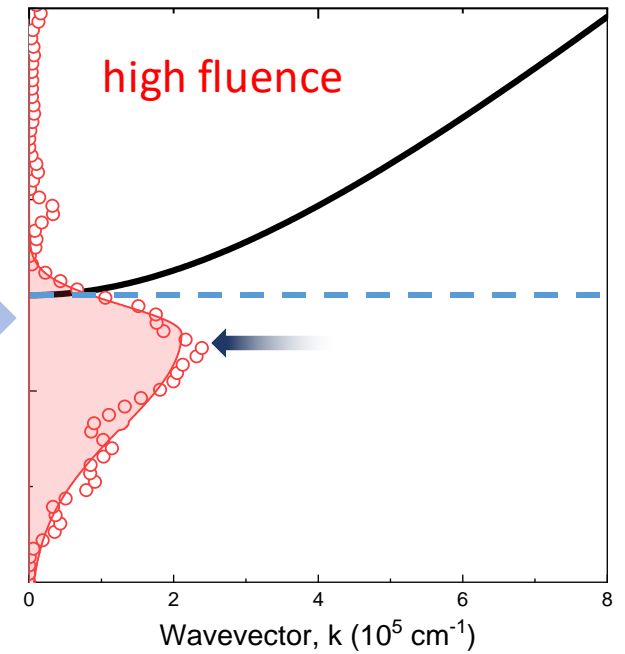
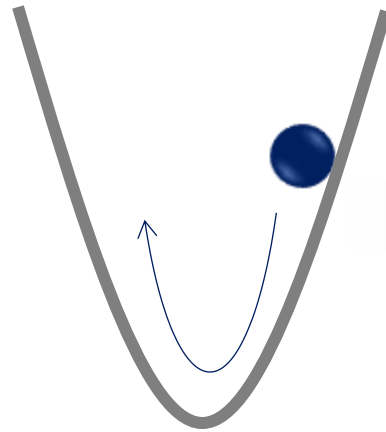


*broadened red-  
shifted FFT peak*

# High-amplitude induced nonlinearity

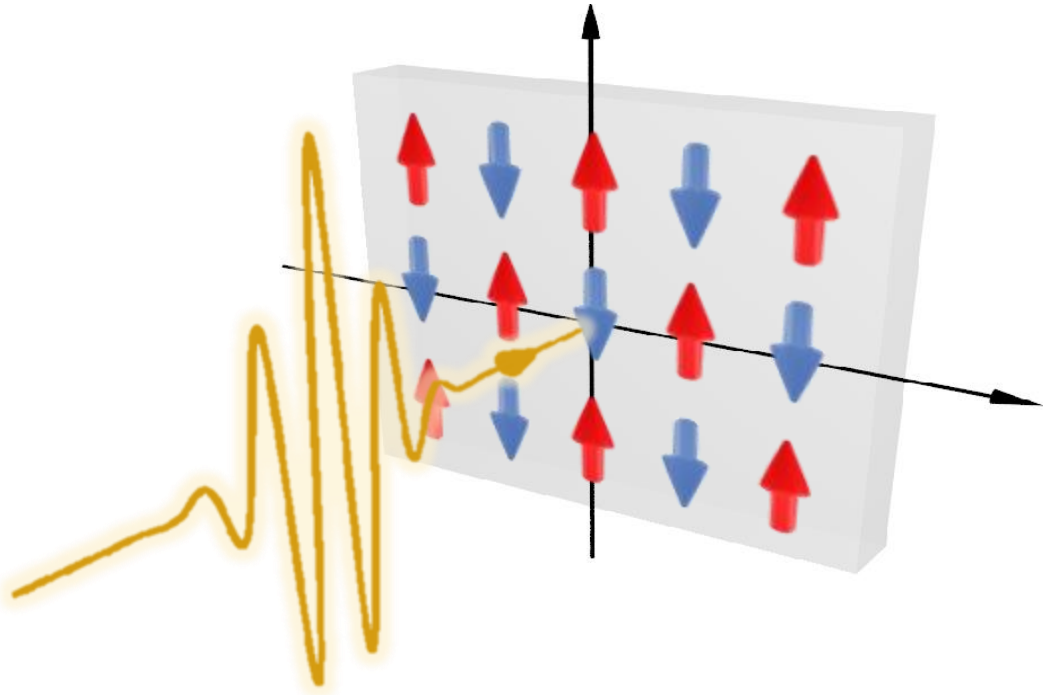


All the light fluence is absorbed in a narrow skin-depth layer  $\sim 50$  nm !!!



$\sim 30$  deg spin deflection

# Conclusions



Optical excitation of spin-waves  
with a damping on-demand!

- An ultrashort optical excitation of insulating antiferromagnets may lead to a broadband population of quasiparticles with many-body interaction (e.g. electron-hole pairs, magnons, phonons)
- In AFM DyFeO<sub>3</sub>, the many-body optical excitation manifests as a giant renormalization of the damping of uniform spin precession.

# Acknowledgements



- Dr. Dima Afanasiev
- Prof. Alexey Kimel
- Boris Ivanov



- Jorrit Hortensius
- Mattias Matthiesen
- Andrea Caviglia



- Radu Andrei
- Eugene Demler



- Rostislav Mikhaylovskiy



- Roberta Citro







**Thank you for your attention!**